

**Strayer University — Manassas Campus**  
**Quantitative Methods — MAT540**

**Midterm Exam**

This is a take-home (open Text, class-notes & Student Guide) midterm exam. Read carefully the entire exam before attempting to solve any of the problems and then budget your time: do first what you know best. *Show and submit all your work to justify your answers*; wherever appropriate, identify the given data, the applicable formulae, substitutions and results. Neither collaboration nor use of materials other than the text, class notes or the student guide is permitted; give proper credit to any source or shortcut you may use. By submitting the exam by the **deadline, Wednesday, 02/08/06, 6:15 PM**, you affirm that you have abided by these rules:

.....  
Student's name

Work through the problems in the following pages and answer all questions.

#	Pts.	Score	Instructor's comment
1	10		
2	10		
3	10		
4	10		
5	10		
6	15		
7	15		
8	20		

**Good luck!**

(And, may you need none at all!)

-- Attach (staple) this sheet as a cover of your answer sheets. --

**Problem 1.** (10 points)

**Chapter 1, problem 20 (p.25).** However, use that hot dogs cost her \$0.37 each, and that her stand, other equipment and supplies will cost her a total of \$4,200 for the season.

**Problem 2.** (10 points)

**Chapter 1, problem 23 (p.25).** However, note that the stated model is *incorrect*: the left-hand sides of the constraints add amounts of material and hours needed! So, develop the correct model, then enforce the net sum labor hours constraint, and then see, by trial-error-and deduction how much of the available material you can use up to maximize the profit..

**Problem 3.** (10 points)

**Chapter 2, problem 6 (p.58).** Clearly identify the probability distribution by its general formula, specify the variable(s) and parameter(s), and explain your reasoning for the identification.

**Problem 4.** (10 points)

**Chapter 2, problem 16 (p.59).** However, use that the test also had a “conditional pass” bracket, and that 5% of the students from each district passed conditionally. Before answering the question, develop the probability tree, showing marginal, conditional and joint probabilities, and then construct a table of joint probabilities with all marginal probabilities indicated.

**Problem 5.** (10 points)

**Chapter 2, problem 26 (p.61).** However, use that the standard deviation of  $\sigma = 3$  pounds.

**Problem 6.** (15 points)

**Chapter 3, problem 4 (p.102).** However, for *part a*, determine the decision based on minimum regret, in *part b*, the decision based on the Hurwitz criterion with  $\alpha = 0.3$ , and in *part c*, use the Laplace criterion.

**Problem 7.** (15 points)

**Chapter 3, problem 16 (p.107).** However, use that the probabilities for the weather are 45%, 35%, and 20% for ‘rain’, ‘overcast’ and ‘sunshine’, respectively (global warming & el niño...).

**Problem 8.** (20 points)

**Chapter 5, problem 8 (p.219).** However, for the exponential smoothing forecasts, use  $\alpha = 0.25$ , and then  $\beta = .30$  for the second, adjusted version.